

Show R^2 for an OLS regression model with 2 predictors (1 and 2) where Y is the outcome

$$R^2 = (RY1^2 + RY2^2 - 2*R12*RY1*RY2) / (1-R12^2) \quad RY1 = R(Y, X1); R12 = R(X1, X2)$$

$$C11 = (A\$11^2+A\$14^2-2*B11*A\$11*A\$14)/(1-B11^2)$$

Source: <http://core.ecu.edu/psyc/wuenschk/MV/multReg/Partial.pdf>

Show R(Y,X1|X2) partial correlation

$$D11 = (A\$11-A\$14*B11)/SQRT((1-B11^2)*(1-A\$14^2))$$

Source: Geometric Interpretation of Partial Correlation using Spherical Triangles

Guy Thomas and John O'Quigley. American Statistician, February 1993, Vol 47, No 1. P 30.

A	B	C	D	E	F	G	H	I	J
Ry1	R12	R^2	R(Y,X1 X2)		Ry1	R12	R^2	R(Y,X1 X2)	
0.5	-0.99	50.00	8.14		0.5	-0.40	1.21	1.19	
	-0.8	2.50	1.73			-0.3	1.04	1.04	
Ry2	-0.6	1.25	1.15		Ry2	-0.2	0.92	0.91	
0.5	-0.5	1.00	1.00		0.7	0	0.74	0.70	
	-0.4	0.83	0.88			0.2	0.63	0.51	
	0	0.50	0.58			0.4	0.55	0.34	
	0.4	0.36	0.38			0.6	0.50	0.14	
	0.5	0.33	0.33			0.7	0.49	0.02	Nullified
	0.6	0.31	0.29			0.8	0.50	-0.14	Sign reverse
	0.8	0.28	0.19			0.9	0.58	-0.42	Simpson's
	0.9	0.26	0.13			0.95	0.77	-0.74	Paradox
	0.99	0.25	0.04			0.99	2.36	-1.92	
A	B	C	D	E	F	G	H	I	J

0.50	Ry1	Ry2							
	R^2	-0.9	-0.5	0	0.3	0.5	0.7071	0.8	0.9
R12	-0.7	0.84	0.29	0.49	1.08	1.67	2.44	2.84	3.31
	-0.5	0.81	0.33	0.33	0.65	1.00	1.47	1.72	2.01
	-0.3	0.87	0.38	0.27	0.47	0.71	1.06	1.24	1.46
	0	1.06	0.50	0.25	0.34	0.50	0.75	0.89	1.06
	0.3	1.46	0.71	0.27	0.27	0.38	0.59	0.71	0.87
	0.5	2.01	1.00	0.33	0.25	0.33	0.53	0.65	0.81
	0.7	3.31	1.67	0.49	0.25	0.29	0.50	0.65	0.84
	0.9	9.84	5.00	1.32	0.37	0.26	0.60	0.89	1.32

$$C33 = (\$A\$24^2+C\$25^2-2*\$B33*\$A\$24*C\$25)/(1-\$B33^2)$$

0.50	Ry1	Ry2							
	R(y,1 2)	-0.9	-0.6	0	0.3	0.55	0.7071	0.8	0.9
R12	-0.9	-1.63	-0.11	1.15	1.85	2.73	3.69	4.66	6.89
	-0.6	-0.11	0.22	0.63	0.89	1.24	1.63	2.04	2.98
	-0.3	0.55	0.42	0.52	0.65	0.83	1.06	1.29	1.85
	0	1.15	0.63	0.50	0.52	0.60	0.71	0.83	1.15
	0.3	1.85	0.89	0.52	0.45	0.42	0.43	0.45	0.55
	0.6	2.98	1.34	0.63	0.42	0.25	0.13	0.04	-0.11
	0.7071	3.69	1.63	0.71	0.43	0.19	0.00	-0.15	-0.44
	0.9	6.89	2.98	1.15	0.55	0.01	-0.44	-0.84	-1.63
	0.95	9.96	4.28	1.60	0.72	-0.09	-0.78	-1.39	-2.61

$$C45 = (\$A\$35-C\$36*\$B45)/SQRT((1-\$B45^2)*(1-C\$36^2))$$

Conclusions involving R-square:

- 1 R-sq never decreases when adding a predictor
- 2 R-sq remains unchanged if confounder correlation with predictor and with outcome is zero.

Conclusions involving the partial correlation (PC) coefficient:

- 1 To reverse sign, the product of confounder correlations must exceed the pre-existing correlation
- 2 To nullify PC, the product of confounder correlations must equal the pre-existing correlation

Adjusted R-sq

<https://www.quora.com/What-is-the-difference-between-R-squared-and-Adjusted-R-squared>

Biz Analytics: Excel & Tableau

https://www.springboard.com/workshops/data-analytics-school?utm_source=quora&utm_

Rsq in comparing two series of longitudinal data

<http://www.investopedia.com/terms/r/r-squared.asp>

$R^2 > 85\%$ is high

$R^2 < 70\%$ is low

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